

# Communicating Connected Components: Extending Plug and Play to Support Skeletons

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## ① Background

## ② Skeletal Components

## ③ Some Experimental Results

## ④ Conclusions

- I proposed that we should be investigating algorithmic skeletons within our techniques.
- Algorithmic skeletons are a technique for non-parallel programmers (domain experts) to exploit parallelism. An example skeleton is a pipeline which provides a template into which functions can be placed by the programmer.
- A number of such skeleton libraries exist – *eSkel* [Cole, 2004], *Muesli* [Ciechanowicz and Kuchen, 2010], *Skandium* [Leyton and Piquer, 2010], and *SkeTo* [Matsuzaki et al., 2006].

Wrappers describe how a function is to run (e.g. *sequential*, *parallel*).

Combinators describe communication between blocks – *N-to-1*, *1-to-N* and *feedback*. *N-to-1* and *1-to-N* include a communication policy to determine, such as *unicast*, *gather*, etc. Feedback describes a feedback loop with a given condition.

Functionals run parallel computations. Included are *parallel*, *Multiple Instruction*, *Single Data*, *pipeline*, *spread*, and *reduce*.

$$TaskFarm(F) = \triangleleft_{Unicast(Auto)} \bullet [|\Delta|_n] \bullet \triangleright_{Gather}$$

Reading from left to right:

$\triangleleft_{Unicast(Auto)}$  a *1-to-N* communication using an *auto* selected *unicast* policy.

- separates pipeline stages.

$[|\Delta|_n]$  denotes  $n$   $\Delta$  computations in parallel.  $\Delta$  is  $F$  in  $TaskFarm(F)$ .

- separates pipeline stages.

$\triangleright_{Gather}$  a *N-to-1* communication using a *gather* policy.

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- Wrapper
- Combinators 1-to-N
  - Broadcast
  - Scatter
  - Unicast Round Robin
  - Unicast Auto
- Combinators N-to-1
  - Gather
  - Gatherall
- Feedback
- Functionals
  - Parallel
  - Pipeline
  - Spread
  - Reduction

# Wrapper Block

```
procedure WRAPPER( $F$ , in<X>, out<Y>)
  while true do
    in ? value
    out !  $F(\text{value})$ 
  end while
end procedure
```



```
procedure BROADCAST(in<X>, out<X>[n])  
  while true do  
    in ? value  
    par for i in 0..n-1 do  
      out[i] ! value  
  end while  
end procedure
```



```
procedure SCATTER(in<X[n]>, out<X>[n])  
  while true do  
    in ? value  
    par for i in 0..n-1 do  
      out[i] ! value[i]  
  end while  
end procedure
```



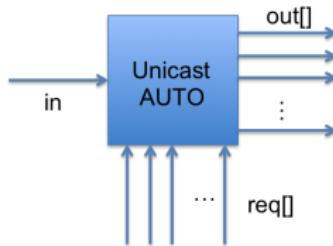
# Unicast (Round Robin)

```
procedure UNICAST_RR(in<X>, out<X>[n])  
    while true do  
        for i in 0..n-1 do  
            in ? value  
            out[i] ! value  
        end for  
    end while  
end procedure
```

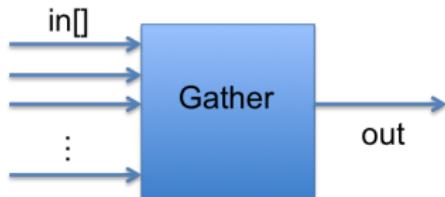


```
procedure UNICAST_AUTO(in<X>, req<N>, out<X>[n])
    while true do
        in ? value
        req ? idx
        out[idx] ! value
    end while
end procedure

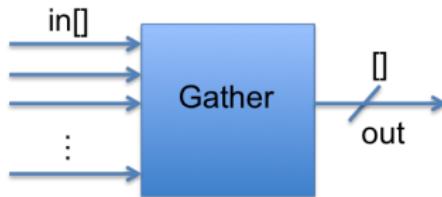
procedure UNICAST_AUTO_GUARDED(in<X>, out<X>[n])
    while true do
        in ? value
        select chan from out
            chan ! value
    end while
end procedure
```



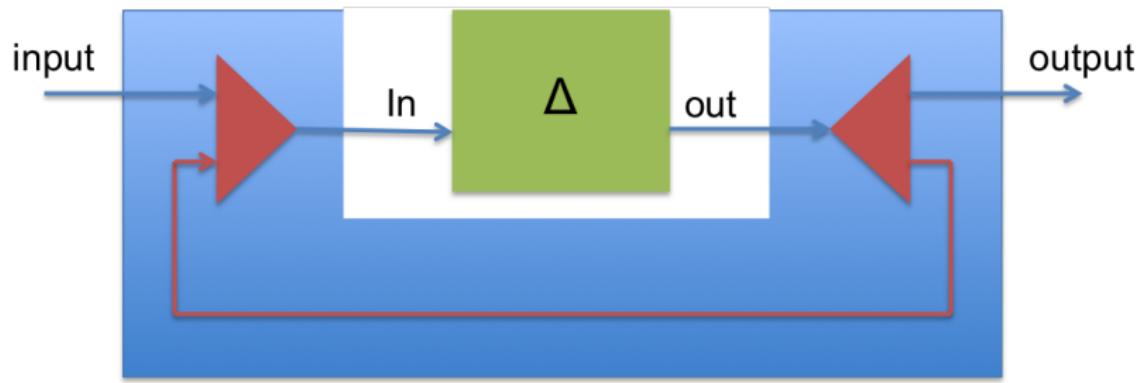
```
procedure GATHER( $\text{in} < \text{X} > [\text{n}]$ ,  $\text{out} < \text{X} >$ )
    while true do
        for  $i$  in  $0..n-1$  do
             $\text{in}[i] ? \text{value}$ 
             $\text{out} ! \text{value}$ 
        end for
    end while
end procedure
```



```
procedure GATHERALL( $\text{in} < \text{X} > [\text{n}]$ ,  $\text{out} < \text{X}[\text{n}] >$ )
     $\text{X value}[\text{n}]$ 
    while true do
        par for i in  $0..n-1$  do
             $\text{in}[i] ? \text{value}[i]$ 
             $\text{out} ! \text{value}$ 
    end while
end procedure
```



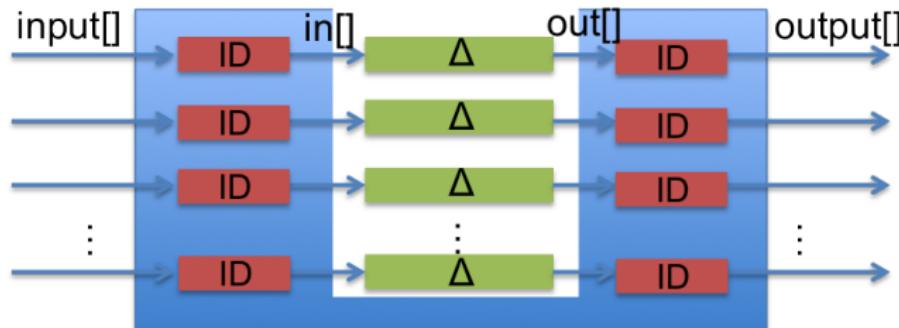
# Feedback



```
procedure MERGE(in<X>, to_block<X>, from_block<X>, out<X>, cond)
    while true do
        in ? value
        to_block ! value
        from_block ? value
        while cond(value) do
            to_block ! value
            from_block ? value
        end while
        out ! value
    end while
end procedure

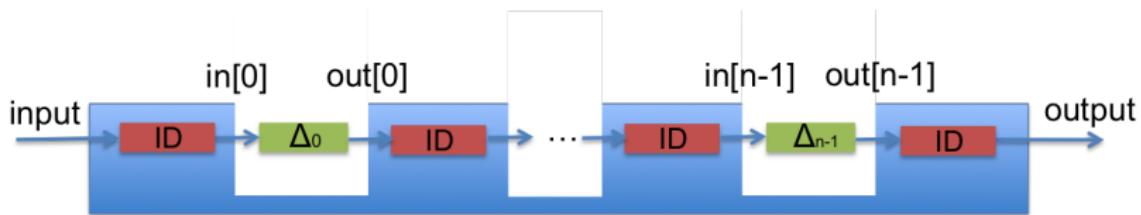
procedure FEEDBACK(BLOCK, cond, in<X>, out<X>)
    to_block<X>
    from_block<X>
    par
        BLOCK(to_block, from_block)
        MERGE(in, to_block, from_block, out, cond)
    end par
end procedure
```

```
procedure PAR(BLOCK, in<X>[n], out<Y>[n])
    par for i in 0..n-1 do
        BLOCK(in[i], out[i])
end procedure
```



- May also work with a range of processes (i.e.,  $\text{BLOCK}[n]$  - MIMD)

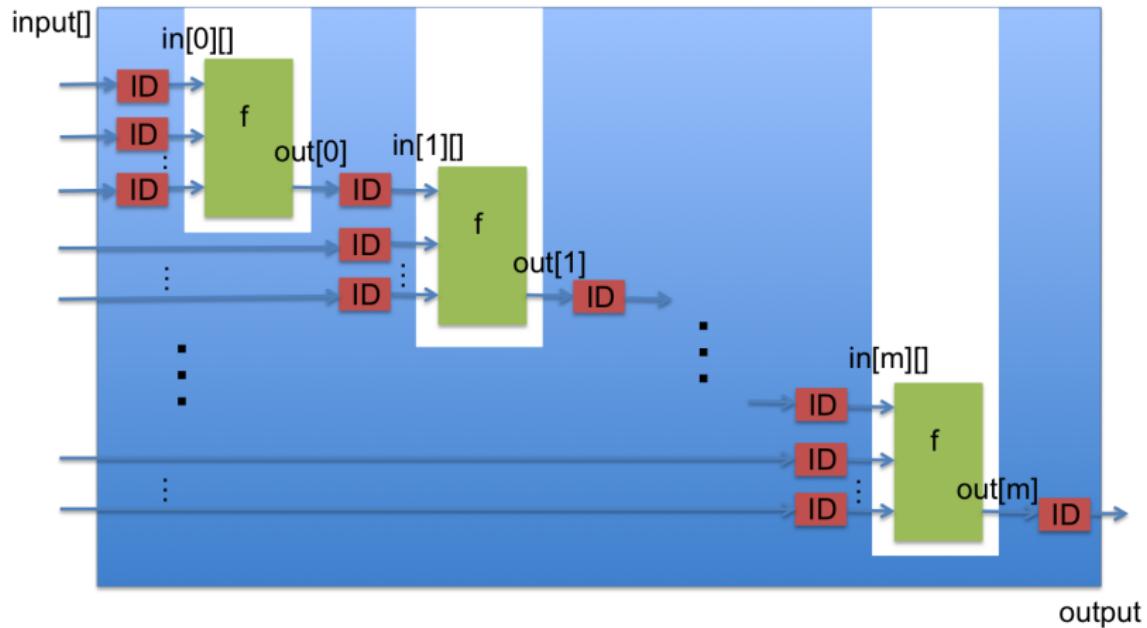
```
procedure PIPELINE(block[n], in<X>, out<Y>)
    internal[n - 1]
    par
        block[0](in, internal[0])
        par for i in 1..n-2 do
            block[i](internal[i - 1], internal[i])
        block[n-1](internal[n - 2], out)
    end procedure
```



```
procedure SPREADER( $F$ , param,  $k$ , out $<X>[n]$ )
    value  $\leftarrow F(\text{param})$                                  $\triangleright$  value has arity  $k$ 
    if  $k = n$  then
        par for  $i$  in  $0..n-1$  do
            out $[i] \leftarrow \text{value}[i]$ 
    else
        par for  $i$  in  $0..n-1$  do
            SPREADER( $F$ , value $[i]$ ,  $k$ , out $[n/k * i]..out[n/k * (i + 1)]$ )
    end if
end procedure

procedure SPREAD( $F$ ,  $k$ , in $<X>$ , out $<X>[n]$ )
    while true do
        in ? value
        SPREADER( $F$ , value,  $k$ , out)
    end while
end procedure
```

# Reduce



```
procedure REDUCER(f, k, params[n])
    if k = n then
        return f(params)
    end if
    X values[n/k]
    par for i in 0..(n/k) - 1 do
        values[i] ← reducer(f, k, params[n/k * i]..params[n/k * (i + 1)])
    return f(values)
end procedure

procedure REDUCE(f, k, in<X>[n], out<X>)
    X values[n]
    par for i in 0..n-1 do
        in[i] ? values[i]
        out ! reducer(f, k, values)
end procedure
```

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- Given a text, extract the location of equal word strings for strings of words of lengths 1..N in terms of the starting location of the word string in the text, provided the word string is repeated a minimum number of times.
- For example, search the Bible for seven word strings will pull out “And God saw that it was good” in multiple locations.

# Solution - Groovy Parallel Library

- Two solutions - parallel grouping of pipelines, or pipelining of parallel groups
- Group of Pipelines (GoP)

$$GoP = ((emit)) \bullet \triangleleft_{Unicast(Auto)} \bullet [|2 \bullet 3 \bullet 4 \bullet 5|]_n$$

- Pipeline of Groups

$$PoG = ((emit)) \bullet \triangleleft_{Unicast(Auto)} \bullet [|2|]_n \bullet [|3|]_n \bullet [|4|]_n \bullet [|5|]_n$$

## Concordance Results

<b>Groups</b>	<b>Time (ms)</b>	<b>Speedup</b>	<b>Groups</b>	<b>Time (ms)</b>	<b>Speedup</b>
1	24281.5	1.181	1	24430	1.174
2	23765.5	1.207	2	22984	1.248
3	22211	1.292	3	21883	1.311
4	21695.5	1.322	4	21734.5	1.320

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- We have demonstrated that taking a process orientated view to skeleton block definition and composition provides a simple understanding of input and output typing, and the potential parallel behaviour within a block.
- We have also provided results of a concordance application using these blocks within a message passing Groovy library.
  - Jon did a presentation ([here](#)) to the Groovy community.
  - Jon's writing another Groovy book on using this approach.
- Future work
  - We aim to take these definitions and implement them in other message passing languages and libraries.
  - We aim to utilise C++ variadic templates to provide simple skeleton composition to the application programmer.

## References

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